Enhanced ride comfort of wheel loaders using liquid-filled cab vibration isolation: a full-vehicle nonlinear dynamic model

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Abstract. This study proposes a full-machine nonlinear dynamic (MND) model with a liquid-filled cab vibration isolation (CVI) system to evaluate ride comfort in comparison with a traditional rubber CVI system under large-amplitude and low-frequency excitations. The ride comfort performance of the liquid-filled CVI is analyzed according to ISO 2631 and compared with that of the traditional rubber CVI system. The results indicate that, under the investigated conditions, the root mean square (RMS) values of the vertical accelerations at the driver's seat and the cab floor center of gravity, as well as the cab's pitch and roll angular accelerations are reduced by 22.67 %, 22.51 %, 32.06 %, and 9.49 % respectively, when using the liquid-filled CVI. These findings provide a foundation for optimizing the liquid-filled CVI parameters to further enhance ride comfort.

Keywords: wheel loader, liquid-filled CVI, traditional rubber CVI, ride comfort.

1. Introduction

A wheel loader, a typical type of construction machinery, is commonly designed without a suspension system between the axle and the chassis. As a result, vibration excitations from the terrain are transmitted directly to the driver through the cab vibration isolation system (CVI) and seat suspension. Moreover, wheel loaders frequently operate in harsh environments, where the ground surface often induces large-amplitude and low-frequency excitations. Consequently, increasing research attention has been paid to analyzing the dynamic behavior of CVI systems, which play a significant role in mitigating whole-body vibration exposure for drivers. Ride comfort performance is significantly influenced by the CVI design parameters, including stiffness, damping ratio, and nonlinear properties, as these govern the extent of vibration transmitted to the driver seat. Nguyen et al. [1] proposed and experimentally validated a full-machine nonlinear dynamic (F-MND) model to investigate the influence of the different CVI systems on the lowfrequency vibration behavior of a vibratory roller operating on deformable off-road terrain. Jiao et al. [2] proposed a F-MND model for a cab hydro-pneumatic CVI system of the soil compactors, showing superior vibration reduction compared to traditional rubber CVI systems. Huan et al. [3] developed a half-MND model of a wheel loader to evaluate the ride comfort performance of Hydraulic CVI system incorporating orifice and annular orifice designs and demonstrated that PSD and RMS acceleration responses significantly vary under different operating conditions. Le et al. [4] compared liquid-filled and rubber CVI systems using a half-MND model of a double-drum vibratory roller, showing that liquid-filled CVI systems improved low-frequency ride comfort based on PSD and RMS indicators. Li [5] conducted a parametric analysis and optimization of quadratic damping in hydraulic CVI, confirming that appropriate damping design can substantially attenuate vertical and angular vibrations of cab under varied excitation frequencies. In addition, the influence of the CVI system characteristics on the off-road machinery ride comfort has been investigated in several studies [6-7]. Several studies have focused on optimizing and controlling vibration isolation systems to improve the ride comfort of construction machinery operating on deformable terrain or complex ground conditions. Quynh et al. [8] developed and validated an optimization approach for improving auxiliary rubber CVI system performance of vibratory rollers, focusing on reducing low-frequency cab sloshing and forward-direction cab dynamic responses. In a related study, Ouynh et al. [9] conducted experimental modal analysis and proposed an optimization strategy for enhancing the performance of the main rubber CVI system for a single-drum vibratory roller. Le Van Quynh et al. [10] developed a half-MND model and employed multi-objective optimization (MOO) to determine the optimal design parameters of CVI systems, aiming to minimize vertical driver seat and cab pitch vibrations in accordance with ISO 2631:1997(E). Duy et al. [11] proposed a semi-active hydraulic VCI system integrated with a fuzzy logic controller to improve the ride comfort of a double-drum vibratory roller, demonstrating clear advantages over passive hydraulic system. Quynh et al. [12] extended this approach by incorporating a fuzzy-PID controller for earth-moving machinery, resulting in improved CVI performance under low-frequency and large-amplitude ground excitations. The dynamic behavior of off-road machinery is significantly affected by deformable terrain, which often induces high-amplitude and low-frequency excitations, such as Quynh et al. [13] proposed a quarter MND model to analyze the ride comfort of a single-drum vibratory roller operating on various soil types, incorporating elastic-plastic soil interaction based on contact mechanics theory. Wang et al. [14] developed a nonlinear dynamic model of a vibratory roller and subgrade coupled system and analyzed its time and frequency responses under varying excitation conditions, providing insight into compaction behavior across initial and middle stages. Le and Nguyen [15] developed a nonlinear dynamic model integrated with NSGA-II optimization to minimize cab vibrations of vibratory rollers, thereby enhancing ride comfort. This study formulates a nonlinear full-vehicle dynamic model integrated with a liquid-filled cab vibration isolation (CVI) system, aiming to quantitatively investigate its ride comfort performance in comparison with the traditional rubber CVI system under large-amplitude, low-frequency excitations.

2. Full-MND model of wheel loader

2.1. Determining the nonlinear force of a liquid-filled CVI

The nonlinear dynamic model of the liquid-filled cab vibration isolation (CVI) system equipped with an annular orifice is developed to characterize its vertical nonlinear force response. The structural configuration of the liquid-filled CVI is shown in Fig. 1(a), and its corresponding nonlinear dynamic model is presented in Fig. 1(b). The model incorporates the machine and cab masses $(m_b$ and m_c), the rubber stiffness and damping coefficients $(k_r$ and c_r), the vertical displacements of the machine body and cab $(z_b$ and z_c), the vertical reaction forces generated by the liquid-filled CVI (F_{ci}) and and the fluid pressures in chambers 1 and 2 $(p_1$ and p_2), where i = 1 to 4.

Based on Fig. 1(b), the vertical force of liquid-filled CVI can be expressed as:

$$F_{ci} = F_{cri} + F_{chi},\tag{1}$$

where, F_{cri} denotes the vertical force of the rubber CVI which is defined by the following Eq. (2) and F_{hi} denotes the nonlinear damping force of hydraulic CVI which is generated by the liquid portion, and it is defined by Eq. (3):

$$F_{cri} = k_{ri}(z_{ci} - z_{bi}) + c_{ri}(\dot{z}_{ci} - \dot{z}_{bi}),$$

$$F_{chi} = A_{di}\Delta p_{ai} = A_{di}(p_{1i} - p_{2i}),$$
(2)

$$F_{chi} = A_{di} \Delta p_{ai} = A_{di} (p_{1i} - p_{2i}), \tag{3}$$

where Δp_{ai} represents the pressure drop across the annular gap, A_{di} represents the effective pressure-receiving area of the damping plate responsible for generating vertical hydraulic force.

Based on the conservation of mass, the relationship between the mean flow velocity in the annular gap and the piston's vertical velocity is given by:

$$\dot{z}_{ai} = \frac{A_{ci}}{A_{ai}} \dot{z}_i,\tag{4}$$

where A_c represents the effective flow area of the upper fluid chamber connected to the damping plate motion; A_a is the flow area of the annular passage; \dot{z}_{ai} denotes the average axial flow velocity through the gap; \dot{z}_i is the relative vertical velocity of the piston.

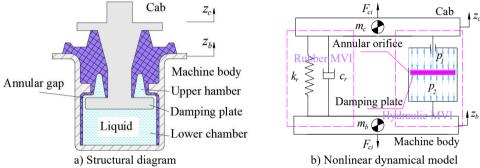


Fig. 1. Nonlinear dynamical model of liquid-filled CVI systems

The pressure drop across the annular gap, caused by turbulent or transitional flow, follows a nonlinear quadratic dependence on the flow velocity ([3], [5]) and is expressed as:

$$\Delta p_{ai} = \frac{\delta_{ai}\rho}{2} |\dot{z}_{ai}| \dot{z}_{ai},\tag{5}$$

where ρ is the fluid density; δ_{ai} is the flow resistance coefficient corresponding to the annular gap regions of the oil system.

By substituting Eqs. (4) and (5) into Eq. (3), the nonlinear damping force of the hydraulic CVI

$$F_{chi} = \frac{\delta_{ai}\rho}{2} \left(\frac{A_{ci}}{A_{ci}}\right)^2 A_{di} |\dot{z}_i| \dot{z}_i. \tag{6}$$

2.2. Full -MND model

To analyze the ride comfort performance of a wheel loader equipped with the liquid-filled cab CVI systems (F_{ci}) compared to the traditional rubber CVI systems (F_{chi}) under large-amplitude and low-frequency excitations, a full-machine nonlinear dynamic model is developed ased on the reference presented in [17], as illustrated in Fig. 2. As illustrated in Fig. 2, the masses of the driver, cab, and machine body are denoted by m_s , m_c and m_b , respectively. The vertical displacements at the centers of mass of the driver seat, cab, and machine by are represented by z_s , z_c and z_b , respectively. The pitch and roll angles of the cab and machine body are denoted by φ_c , θ_c and φ_b , θ_b , respectively. The driver seat suspension system is characterized by a stiffness coefficient k_s

and damping coefficient c_s . The stiffness and damping properties of the tires are defined by k_{ti} and c_{ti} . The stiffness and damping coefficients of the bucket tilting cylinders are defined by k_{tc} and c_{tc} , respectively. The stiffness and damping coefficients of the right and left bucket lifting cylinders are defined by k_{lc1} and c_{lc1} as well as k_{lc2} and c_{lc2} , respectively. The moment of inertia of the cab and machine body about the longitudinal lateral axises are defined by I_{cx} , I_{cy} and I_{bx} , I_{by} , respectively. The displacements along the loader arm axis and piston axis are described by z_{tc} and z_{lc} , with corresponding equivalent masses m_{tc} and m_{lc} . The ground excitation input is denoted by q_i . The distances are defined by l_n an b_m , where n=1 to 9, m=1 to 7. The vertical forces of the tires, cab's CVI systems, driver's seat suspension system, and the bucket control cylinders are denoted by F_{ti} , F_{ci} , F_s , F_{tc} , F_{lc1} and F_{lc2} , respectively. The angles between the axes of the boom and bucket cylinders and the horizontal planeare denoted by α and β , respectively.

As illustrated in Fig. 2, the equations of motion governing the mechanical system are formulated based on Jourdain's principle [23] and the classical Newton-Euler approach.

In parallel, the dynamic motion of the supporting mechanical body including machine body, cab and driver seat is governed by Eq. (7):

$$\begin{cases} m_{c}\ddot{z}_{s} = -F_{s}, \\ m_{c}\ddot{z}_{c} = F_{s} - \sum_{i=1}^{4} F_{ci}, \\ I_{cx}\ddot{\varphi}_{c} = \sum_{i=1}^{2} F_{ci}l_{6} - \sum_{i=3}^{4} F_{ci}l_{7} - F_{s}l_{9}, \\ I_{cy}\ddot{\theta}_{c} = \sum_{i\in\{2,4\}} F_{ci}b_{4} - \sum_{i\in\{1,3\}} F_{ci}b_{3} - F_{s}b_{5}, \\ m_{b}\ddot{z}_{b} = \sum_{i=1}^{4} F_{ci} - \sum_{i=1}^{4} F_{ti} - \sum_{i=1}^{2} F_{lci}\sin\beta - F_{tc}\sin\alpha, \\ I_{bx}\ddot{\varphi}_{b} = \sum_{i=3}^{4} F_{ti}l_{1} - \sum_{i=1}^{2} F_{ti}l_{2} - \sum_{i=1}^{2} F_{ci}l_{5} - \sum_{i=3}^{4} F_{ci}l_{8} + \sum_{i=1}^{2} F_{lci}\sin\beta l_{3} + F_{tc}\sin\alpha l_{4}, \\ I_{bx}\ddot{\theta}_{b} = \sum_{i\in\{2,4\}} F_{ti}b_{2} - \sum_{i\in\{1,3\}} F_{ti}b_{1} + \sum_{i\in\{1,3\}} F_{ci}b_{3} - \sum_{i\in\{2,4\}} F_{ci}b_{4} + \sum_{i=1}^{2} (-1)^{(i+1)} F_{lci}\sin\beta b_{i+4}. \end{cases}$$

The dynamic response of the bucket assembly under operating conditions is described by Eq. (8):

$$\begin{cases}
 m_{tc}\ddot{z}_{tc} = -F_{tc}, \\
 m_{lc1}\ddot{z}_{lc1} = -F_{lc1}, \\
 m_{lc2}\ddot{z}_{lc2} = -F_{lc2},
\end{cases}$$
(8)

2.3. Off-highway road surface excitation

To evaluate off-road ride dynamics realistically, terrain-induced excitations are modeled as filtered Gaussian white noise, capturing the stochastic nature of unstructured ground. The vertical input is generated via a first order shaping filter in the time domain:

$$\dot{q}(t) + 2\pi f_0 q(t) = 2\pi n_0 \sqrt{G_q(n_0)vw(t)},\tag{9}$$

where q(t) is the road elevation input, f_0 is the spatial cutoff frequency (Hz); n_0 is the reference spatial frequency (commonly 0.1 m⁻¹), $G_q(n_0)$ represents the road roughness spectral density at n_0 , v is the forward velocity of the vehicle (m/s), and w(t) is a zero-mean unit variance Gaussian white noise process.

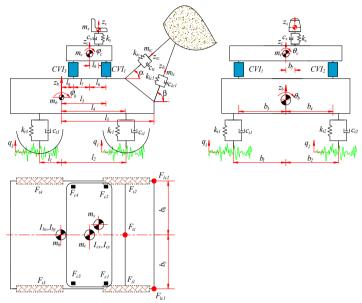


Fig. 2. Full-MND model of a wheel loader

In accordance with ISO 8608 [16], surface roughness is classified by the spectral density $G_q(n_0)$ where higher values correspond to rougher terrain. For off-highway applications, classes D to H are typically selected to represent severe working conditions in construction and mining, ensuring that the excitation input realistically reflects the statistical nature of irregular ground surfaces.

3. Ride comfort assessment for off-highway construction machinery

Ride comfort in off-highway construction vehicles is primarily affected by whole-body vibration (WBV) transmitted through the cab vibration isolation (CVI) systems, and seat suspension system during operation on rough terrain. Excessive WBV not only degrades operator comfort but also increases fatigue and long-term health risks. Ride comfort is evaluated using the frequency-weighted r.m.s. acceleration specified in ISO 2631-1 [18-22] and formulated in Eq. (10):

$$a_w = \left[\frac{1}{T} \int_0^T a(t)^2 dt\right]^{1/2},\tag{10}$$

where a(t) is the time-varying weighted acceleration (m/s²); T is is the measurement duration (s).

4. Results and discussion

The dynamic model described in Section 2 is implemented in MATLAB/Simulink to evaluate and compare the ride comfort performance of the liquid-filled CVI and traditional rubber CVI

systems under large-amplitude, low-frequency excitations. The time-domain vertical accelerations at the driver's seat and the cab floor center of gravity (a_{sz} and a_{cz}), as well as the time-domain angular accelerations of the cab's pitch and roll motions (a_{cphi} and a_{cteta}) with the liquid-filled CVI systems in the rubber CVI systems are shown in Fig.3 when the machine operates on ISO class E road surface (poor road surface condition with large-amplitude and low-frequency excitations) at v=5 km/h and full load. The results presented in Fig. 3 demonstrate that the maximum amplitude values of a_{sz} , a_{cz} , a_{cphi} and a_{cteta} are significantly reduced when using the liquid-filled CVI system, in comparison with the traditional rubber CVI system. This indicates that the liquid-filled CVI provides substantial improvement in ride comfort performance for wheel loaders under severe excitation conditions.

According to the results in Fig. 3, the root mean square (RMS) accelerations a_{wsz} , a_{wcz} , a_{wcphi} and a_{wcteta} are computed by Eq. (10) based on ISO 2631 (1997) [18]. The comparative values of these accelerations between the liquid-filled and rubber CVI systems are listed in Table 1. The RMS acceleration values of a_{wsz} , a_{wcz} , a_{wcphi} and a_{wcteta} with the liquid-filled CVI system are reduced by 31.12 %, 24.76 %, 15.00 %, and 11.59 %, respectively, compared to the traditional rubber CVI system under the investigated operating conditions. These results confirm that the liquid-filled CVI system outperforms its rubber-based counterpart in attenuating cab vibration responses, thereby contributing to improved ride quality under large-amplitude, low-frequency excitations on rough ground surfaces.

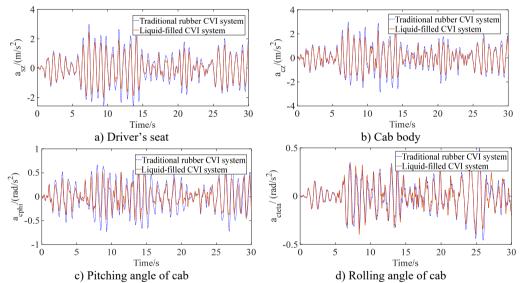


Fig. 3. Results of time domain acceleration responses with the liquid-filled CVI system in comparison with the traditional rubber CVI system

Table 1. a_{wsz} , a_{wcz} , a_{wcphi} and a_{wcteta} values

	$a_{ws} / (m/s^2)$	a_{wc} / (m/s ²)	a_{wcphi} / (rad/s ²)	a_{wcteta} / (rad/s ²)
Traditional rubber CVI system	1.0327	1.0216	0.3094	0.1539
Liquid-filled CVI system	0.7986	0.7916	0.2102	0.1393
Decrease %	22.67	22.51	32.06	9.49

5. Conclusions

In this study, a nonlinear full-vehicle dynamic model integrated with a liquid-filled cab vibration isolation (CVI) system was developed to evaluate ride comfort in comparison with a traditional rubber CVI system under large-amplitude, low-frequency excitation. The simulation

results revealed that the maximum amplitude values of a_{sz} , a_{cz} , a_{cphi} and a_{cteta} were significantly reduced when employing the liquid-filled CVI system. Furthermore a_{wsz} , a_{wcz} , a_{wcphi} and a_{wcteta} values decreased by 31.12 %, 24.76 %, 15.00 %, and 11.59 %, respectively, compared to those obtained with the traditional rubber CVI under the investigated operating conditions. These quantitative improvements demonstrate that the liquid-filled CVI system offers superior vibration attenuation characteristics compared to the rubber-based configuration, thereby contributing to enhanced ride quality and improved operational stability of wheel loaders under harsh low-frequency excitations.

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Data availability

The datasets generated during and/or analyzed during the current study are available from the corresponding author on reasonable request.

Conflict of interest

The authors declare that they have no conflict of interest.

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